

Lexical Analysis

CMPT 379: Compilers

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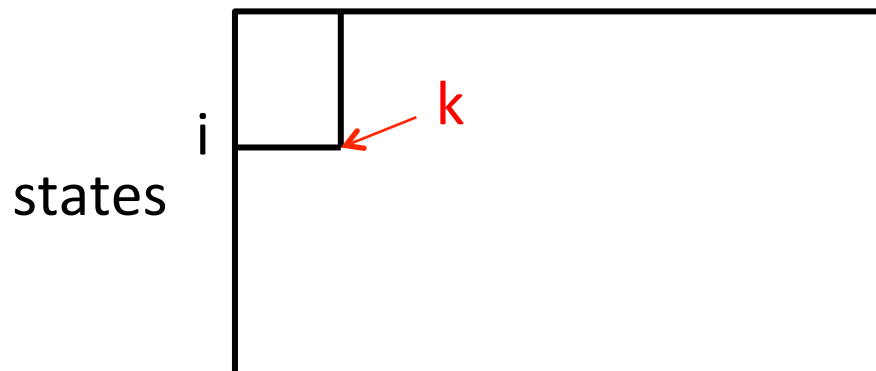
anoopsarkar.github.io/compilers-class

Building a Lexical Analyzer

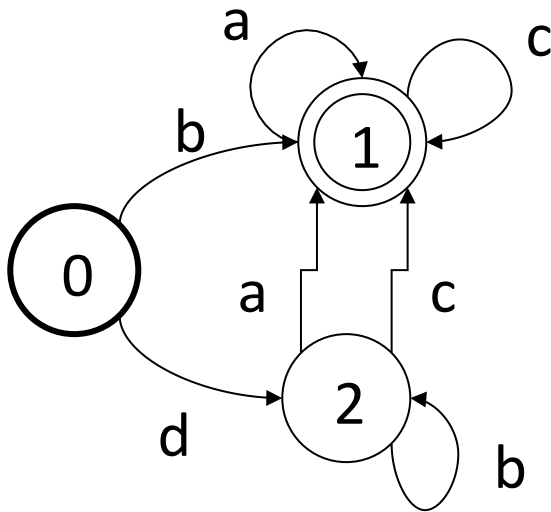
- Token \Rightarrow Pattern
 - Pattern \Rightarrow Regular Expression
 - Regular Expression \Rightarrow NFA
 - NFA \Rightarrow DFA
 - DFA \Rightarrow Table-driven implementation of DFA
- Implement NFAs**
Convert regexp to DFA

Implementing DFAs

- 2D array storing the transition table
 - One dimension is `states`
 - Other dimension is `input symbols`
 - For every transition $S_i \rightarrow S_k$
 - define `T[i,a]=k`



Implementing DFAs



	a	b	c	d
0	-	1	-	2
1	1	-	1	-
2	1	2	1	-

```
i = 0
state = 0
while (input[i]) {
    state = nextState(state, input[i])
    i = i + 1
}
```

```
nextState(state, x) {
    return A[state][x]
}
```

Implementing DFAs

- 2D array storing the transition table
 - Too many states and duplicates
- Adjacency list
 - more space efficient but slower
- Merge two ideas: array structures used for sparse tables like DFA transition tables

Implementing DFAs

	a	b	c	d
0	-	1	-	2
1	1	-	1	-
2	1	2	1	-

base

0	2
1	4
2	0

		-	1	-	2		
				1	-	1	-
1	2	1	-				
1	2	1	1	1	2	1	-
0	1	2	3	4	5	6	7
2	2	2	0	1	0	1	-

next

check

nextState(2,a)= next[0+0]

nextState(1,c)= next[4+2]

nextState(0,c)= next[2+2]

Implementing DFAs

	a	b	c	d
0	-	1	-	2
1	1	-	1	-
2	1	2	1	-

base

0	2
1	4
2	0

		-	1	-	2		
				1	-	1	-
1	2	1	-				
1	2	1	1	1	2	1	-
0	1	2	3	4	5	6	7
2	2	2	0	1	0	1	-

next

check

nextState(*s*, *x*) :

$L := \text{base}[s] + x$

return next[L] **if** check[L] == *s*

Implementing DFAs

	a	b	c	d
0	-	1	-	2
1	1	-	1	-
2	1	2	1	-

base

0	1	-
1	3	-
2	0	1

default

	-	1	-	2		
			1	-	1	-
-	2	-	-			
-	2	1	1	2	1	-
0	1	2	3	4	5	6
-	2	0	1	0	1	-

next

check

$nextState(s, x) :$ $nextState(2, b) = next[1]$

$L := base[s] + x$

return next[L] **if** check[L] == s

else return $nextState(default[s], x)$

Implementing DFAs

	a	b	c	d
0	-	1	-	2
1	1	-	1	-
2	1	2	1	-

base

0	1	-
1	3	-
2	0	1

default

	-	1	-	2		
			1	-	1	-
-	2	-	-			
-	2	1	1	2	1	-
0	1	2	3	4	5	6
-	2	0	1	0	1	-

next

check

$nextState(s, x) :$
 $L := base[s] + x$
return next[L] **if** check[L] == s
else return $nextState(default[s], x)$

$nextState(2, a) =$
 $nextState(1, a) \neq next[3]$